



# Consistent normalization approach for LCA, based on a study-specific reference system

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research group for environmental life cycle & sustainability assessment

# Overview



- Issue: Consistent normalization reference values

$$\frac{\sum_{i=1}^m f_i \times \text{LCI}}{\left( \prod_{i=1}^m \text{LCI} \right)^{\frac{1}{m}}}$$

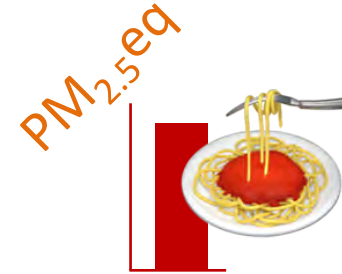
- Approach: use LCI database as reference



- Application: Ecoinvent 3.5 & available normalisation reference sets

# Life Cycle Assessment

- Quantifying the impacts

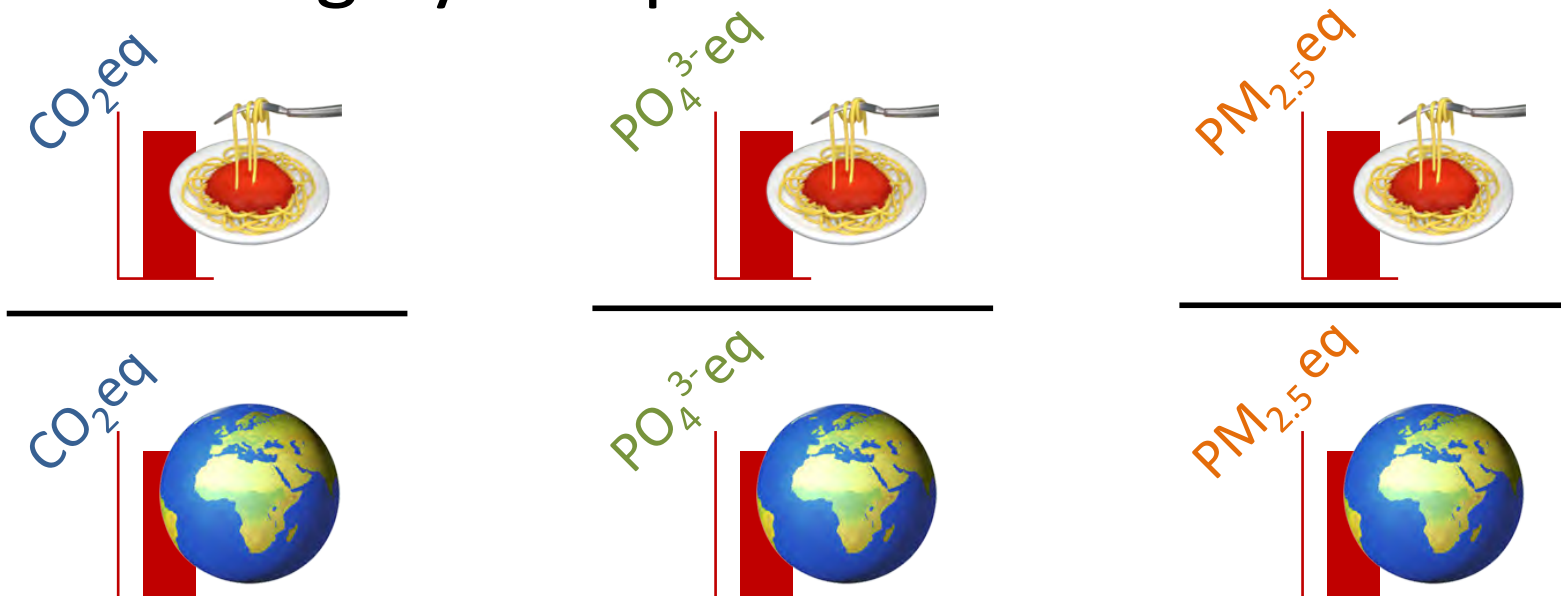


# Life Cycle Assessment

- Quantifying the impacts



- Meaning by comparison



# Determination of impacts



- Based on Life Cycle Inventory database
- LCA matrix algebra
- involved processes (perimeter)
- modelling choices
- inventoried substances

- Statistics from international agencies & institutions
- A structured collection and aggregation work
- involved processes (perimeter)
- modelling choices
- inventoried substances

# Determination of impacts



- Based on Life Cycle Inventory database
- LCA matrix algebra
- involved processes (perimeter)
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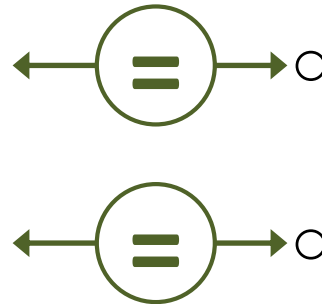
- Statistics from international agencies & institutions
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**Need of methods providing consistent and sufficiently complete references at a global scale. (Pizzol et al., 2017)**

# Starting point



- Based on Life Cycle Inventory database
- LCA matrix algebra
- involved processes (perimeter)
- modelling choices
- inventoried substances

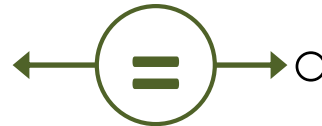
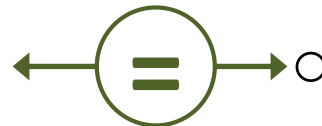


- Statistics from international agencies & institutions
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## Consistent normalization approach

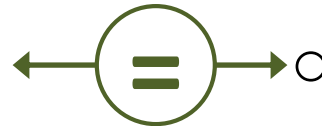
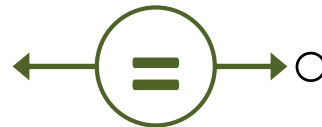


# Starting point



- Based on Life Cycle Inventory database
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○ Statistics from international agencies & institutions

○ A structured collection and aggregation work

○ involved processes (perimeter)

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## Consistent normalization approach

# Illustrative example

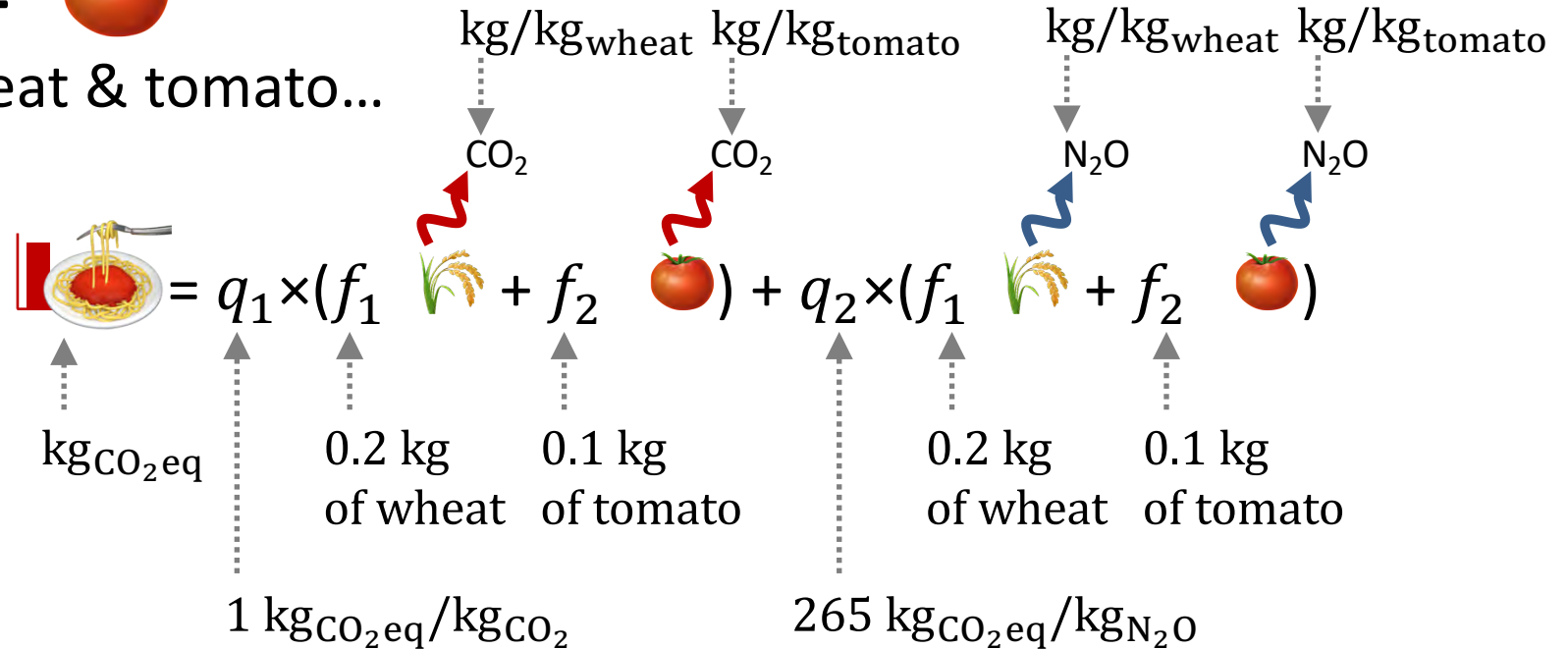


LCI is only wheat & tomato...

# Illustrative example



LCI is only wheat & tomato...



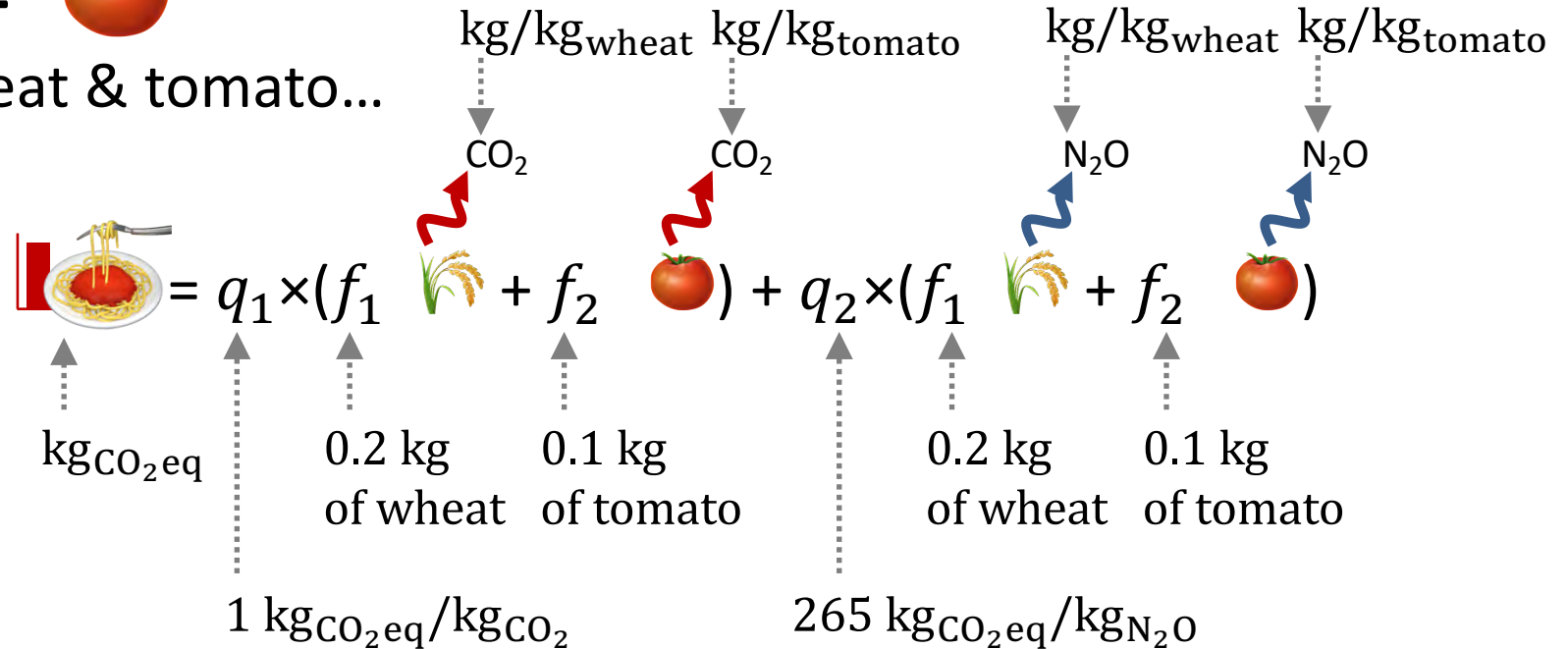
$$\text{kgCO}_2\text{eq} = \sum_j q_j (f_1 \text{ 🌾} + f_2 \text{ 🍅})$$

🌾 & 🍅 : pre-calculated interventions in the LCI database

# Illustrative example



LCI is only wheat & tomato...



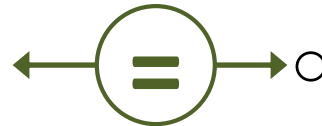
$$\text{kgCO}_2\text{eq} = \sum_j q_j (f_1 \times \text{wheat} + f_2 \times \text{tomato} + 0 \times \text{cucumber})$$

The “world” is composed of wheat, tomato & cucumber (3 datasets in the LCI database)

# Principle



- Based on Life Cycle Inventory database
- LCA matrix algebra
- involved processes (perimeter)
- modelling choices
- inventoried substances



○ Statistics from international agencies & institutions

○ A structured collection and aggregation work

○ involved processes (perimeter)

○ modelling choices

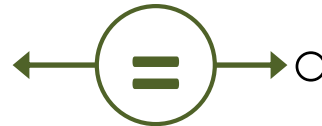
○ inventoried substances

## Consistent normalization approach

# Principle



- Based on Life Cycle Inventory database
- LCA matrix algebra
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**Based on Life Cycle  
Inventory database  
LCA matrix algebra**

involved processes  
(perimeter)

modelling choices

inventoried substances

## Consistent normalization approach

# Illustrative example



World (reference system) is only wheat, tomato and cucumber...

$$\boxed{\text{Globe}} = \sum_j q_j (f_1^{\text{REF}} \text{Wheat} + f_2^{\text{REF}} \text{Tomato} + f_3^{\text{REF}} \text{Cucumber})$$

- ✓ No additional data required
- ~ Exhaustivity of the data?
- ✗ Unknown final demands...

# Illustrative example



World (reference system) is only wheat, tomato and cucumber...

$$\boxed{\text{Globe}} = \sum_j q_j (f_1^{\text{REF}} \text{Wheat} + f_2^{\text{REF}} \text{Tomato} + f_3^{\text{REF}} \text{Cucumber})$$

?      ?      ?

- ✓ No additional data required
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# Illustrative example

$$\left[ \text{Earth} \right] = \sum_j q_j (f_1^{\text{REF}} \text{Wheat} + f_2^{\text{REF}} \text{Tomato} + f_3^{\text{REF}} \text{Cucumber})$$

- The arithmetic mean

$$M_1(\text{Wheat, Tomato, Cucumber} \text{ } \mathbf{f}^{\text{REF}}) = \frac{(f_1^{\text{REF}} \text{Wheat} + f_2^{\text{REF}} \text{Tomato} + f_3^{\text{REF}} \text{Cucumber})}{n}$$

- The mean instead of the sum

$$\left[ \text{Earth} \right] = n \times \sum_j q_j \times M_1(\text{Wheat, Tomato, Cucumber} \text{ } \mathbf{f}^{\text{REF}})$$

# Illustrative example

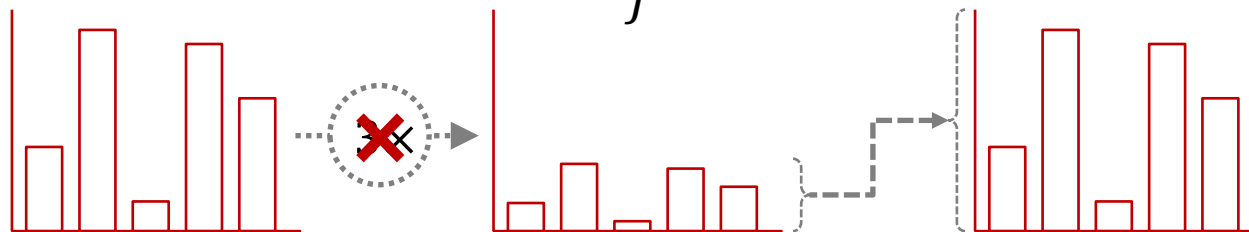
$$\left[ \text{Earth} \right] = \sum_j q_j (f_1^{\text{REF}} \text{wheat} + f_2^{\text{REF}} \text{tomato} + f_3^{\text{REF}} \text{cucumber})$$

- The arithmetic mean

$$M_1(\text{wheat, tomato, cucumber } \mathbf{f}^{\text{REF}}) = \frac{(f_1^{\text{REF}} \text{wheat} + f_2^{\text{REF}} \text{tomato} + f_3^{\text{REF}} \text{cucumber})}{n}$$

- The mean instead of the sum

$$\left[ \text{Earth} \right] = n \times \sum_j q_j \times M_1(\text{wheat, tomato, cucumber } \mathbf{f}^{\text{REF}})$$



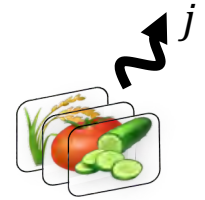
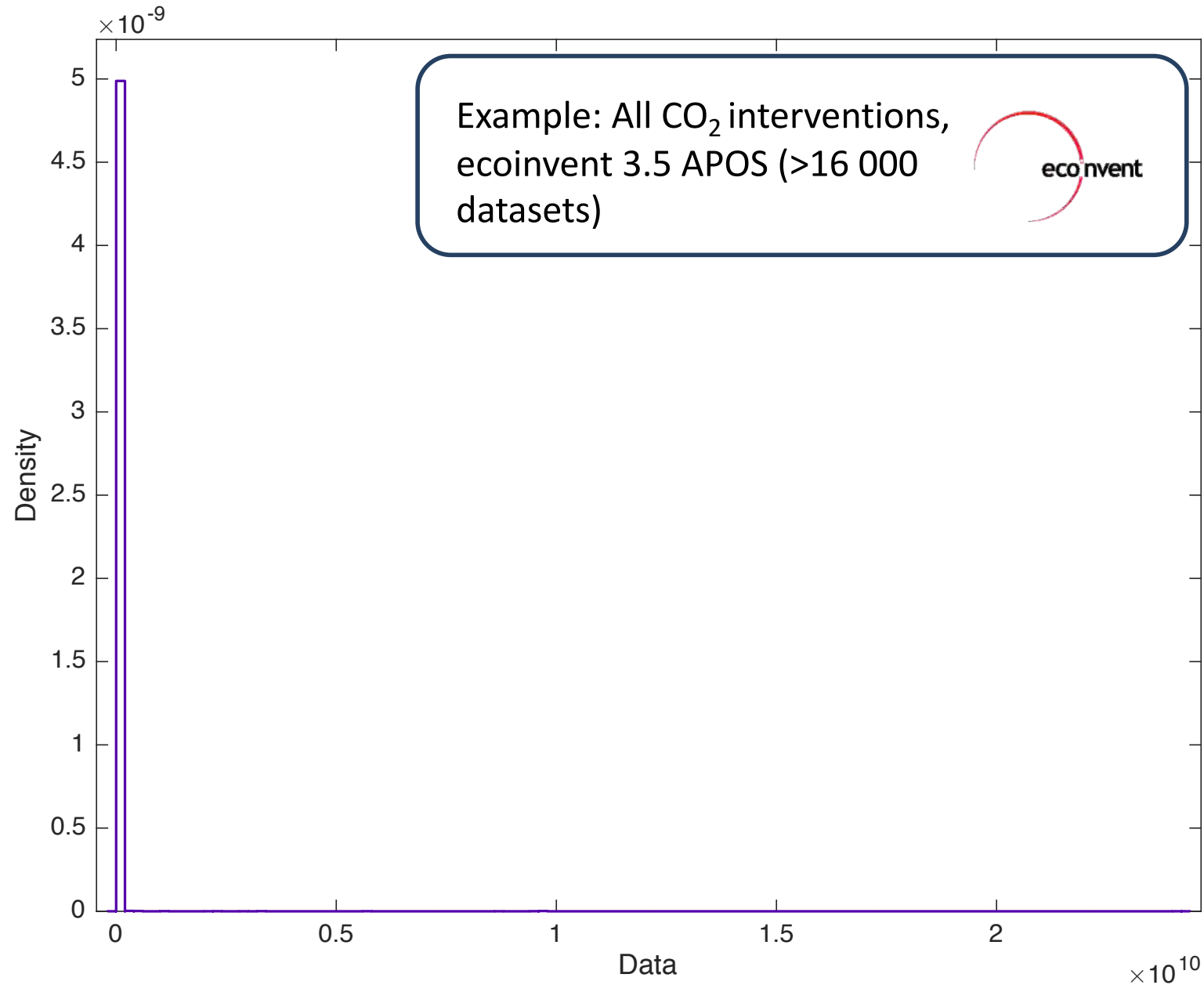
# Illustrative example

$$\boxed{\text{Earth}} = n \times \sum_j q_j \times M_1 \left( \begin{array}{c} \text{Food} \\ \text{REF} \end{array} \right)$$

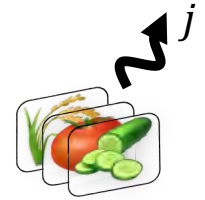
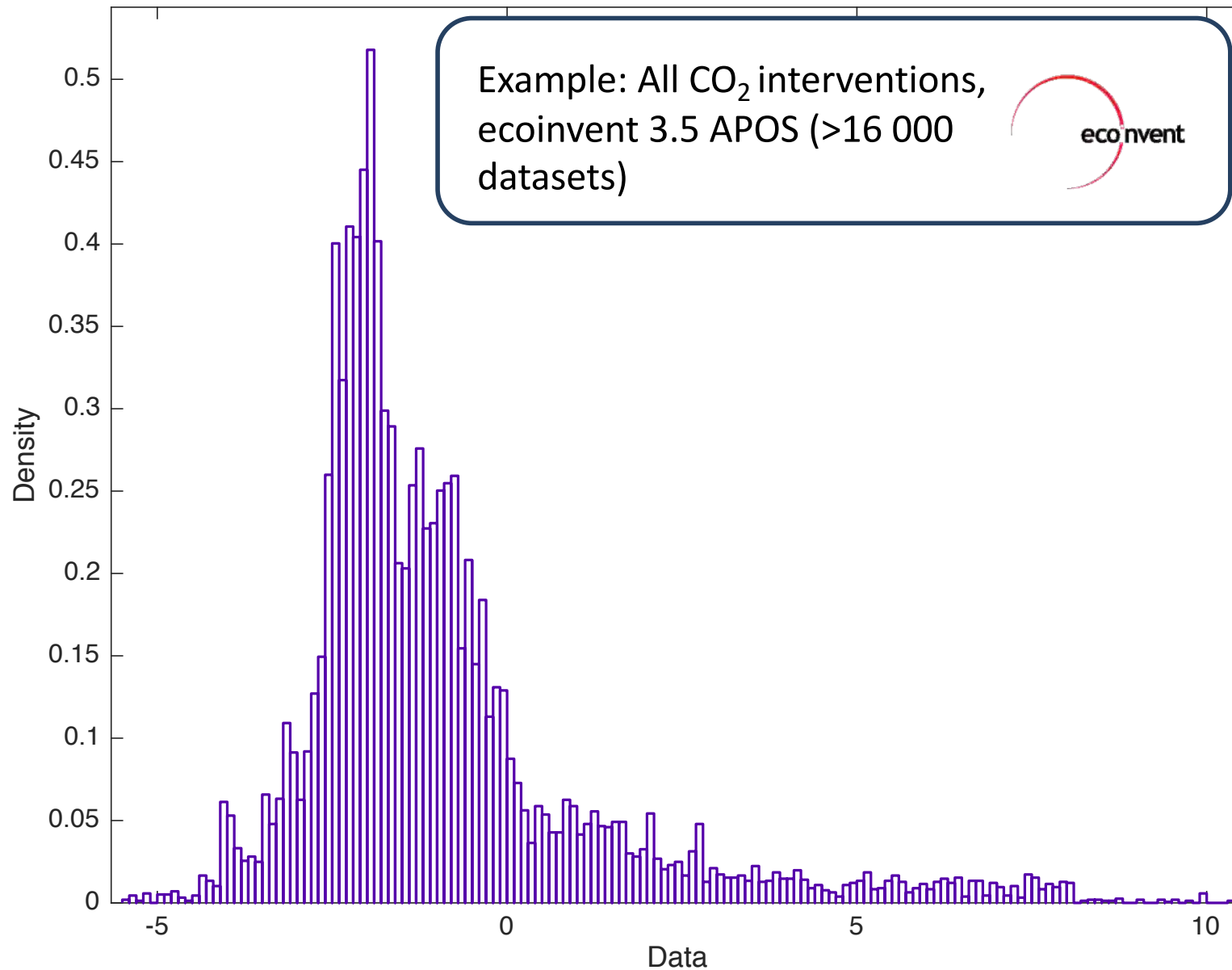
The diagram illustrates the equation  $\boxed{\text{Earth}} = n \times \sum_j q_j \times M_1 \left( \begin{array}{c} \text{Food} \\ \text{REF} \end{array} \right)$ . On the left, a globe icon is enclosed in a red box. The right side of the equation features a summation over  $j$  of  $q_j$  multiplied by  $M_1$  applied to a vector. This vector is represented by a stack of three food icons (wheat, tomato, cucumber) with a wavy arrow labeled  $j$  pointing upwards. Below the vector, the text  $\mathbf{f}^{\text{REF}}$  is shown. A dashed arrow points from a red circle containing a question mark up to  $\mathbf{f}^{\text{REF}}$ .

- No change in the conclusions
- Unknown final demands

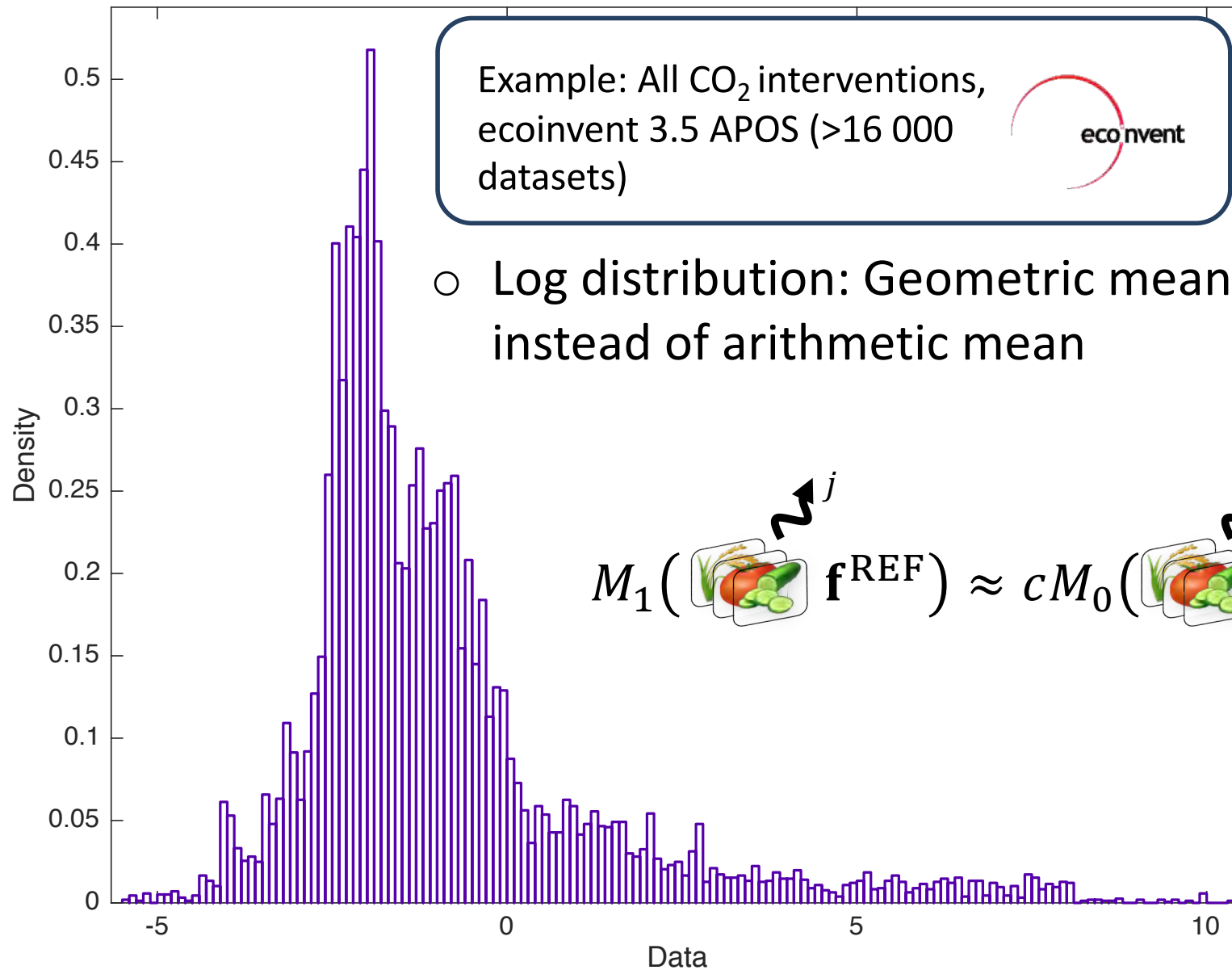
# Distribution of data



# Distribution of data, **log-scale**



# Distribution of data, **log-scale**



# Geometric mean

$$\begin{aligned}
 M_0 \left( \begin{array}{c} \text{wheat} \\ \text{tomato} \\ \text{cucumber} \end{array} \mathbf{f}^{\text{REF}} \right)^j &= \sqrt[3]{ \left( f_1^{\text{REF}} \text{wheat} \times f_2^{\text{REF}} \text{tomato} \times f_3^{\text{REF}} \text{cucumber} \right)^j } \\
 M_0 \left( \begin{array}{c} \text{wheat} \\ \text{tomato} \\ \text{cucumber} \end{array} \mathbf{f}^{\text{REF}} \right)^j &= \sqrt[3]{ \text{wheat} \times \text{tomato} \times \text{cucumber} }^j \times \sqrt[3]{ f_1^{\text{REF}} \times f_2^{\text{REF}} \times f_3^{\text{REF}} } \\
 M_0 \left( \begin{array}{c} \text{wheat} \\ \text{tomato} \\ \text{cucumber} \end{array} \mathbf{f}^{\text{REF}} \right)^j &= M_0 \left( \begin{array}{c} \text{wheat} \\ \text{tomato} \\ \text{cucumber} \end{array} \right)^j \times M_0 \left( \mathbf{f}^{\text{REF}} \right)^j
 \end{aligned}$$

# Illustrative example

$$\boxed{\text{Earth}} = n \times \sum_j q_j \times M_1 \left( \begin{array}{c} \text{Food} \\ \text{REF} \end{array} \right)$$

The diagram illustrates the equation  $\boxed{\text{Earth}} = n \times \sum_j q_j \times M_1 \left( \begin{array}{c} \text{Food} \\ \text{REF} \end{array} \right)$ . On the left, a globe icon is enclosed in a red box. The right side of the equation shows a summation over  $j$  of  $q_j$  multiplied by  $M_1$  applied to a vector  $\mathbf{f}^{\text{REF}}$ . The vector  $\mathbf{f}^{\text{REF}}$  is represented by a stack of three food icons (corn, tomato, cucumber) with a wavy arrow labeled  $j$  pointing upwards. A dashed arrow points from a red box containing a question mark  $?$  to the  $\mathbf{f}^{\text{REF}}$  vector.

- No change in the conclusions
- Unknown final demands



# Illustrative example

$$\left[ \text{Earth} \right] \approx n \times \sum_j q_j \times c \times M_0(\text{Food}) \times M_0(\mathbf{f}^{\text{REF}})$$

$$\left[ \text{Earth} \right] \approx n \times c \times M_0(\mathbf{f}^{\text{REF}}) \sum_j q_j \times M_0(\text{Food})$$

$$\left[ \text{Earth} \right] \approx \cancel{n \times c \times M_0(\mathbf{f}^{\text{REF}})} \sum_j q_j \times M_0(\text{Food})$$

- No change in the conclusions
- **No final demands in the normalization references...**

# Outline

- An expression of the result relative to the average component of the reference system instead of the sum of all the components.
- Consistency between system under study & normalization references
  - Same involved processes (perimeter)
  - Same modelling choices
  - Same inventoried substances
- No additional data collection

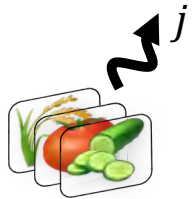
$$\frac{\sum_{i=1}^m \left( f_i \times \text{LCI} \right)}{\left( \prod_{i=1}^m \left( \text{LCI} \right) \right)^{\frac{1}{m}}}$$

# Application

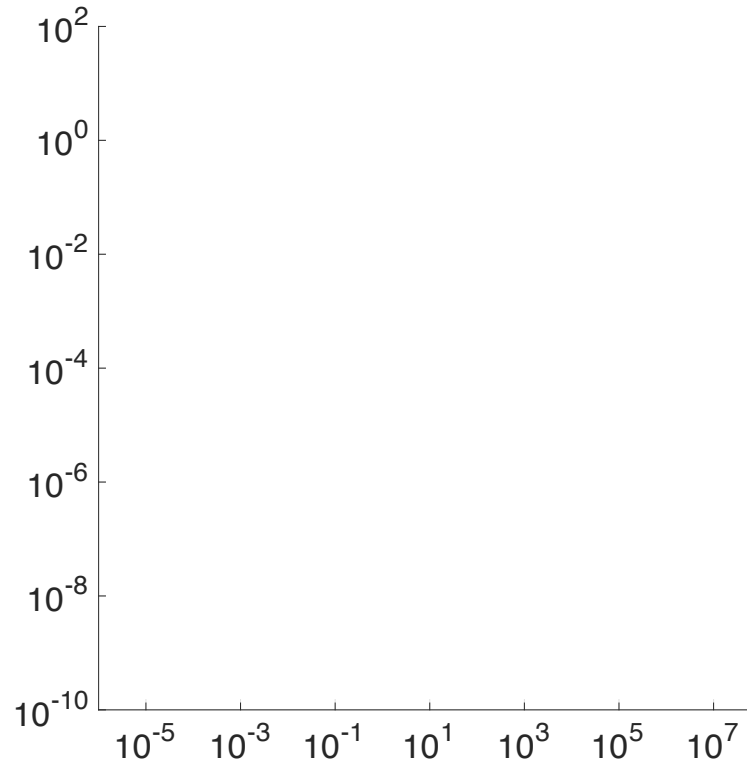


- Ecoinvent 3.5
  - Long-term/no long-term emissions
  - 3 system models
    - At Point Of Substitution (APOS)
    - Cut-off
    - Consequential
- Geometric mean constraints ( $>0$ )
  - Approximated geometric mean
  - Pre-calculated inventories
- Comparison database-based vs literature based normalizations
- Available LCIA methods (provided by ecoinvent):
  - CML 2000, EDIP 2003, ILCD 2016, EF 2.0, ReCiPe midpoint 2008 (E,H&I versions), TRACI (first version)

# Comparison

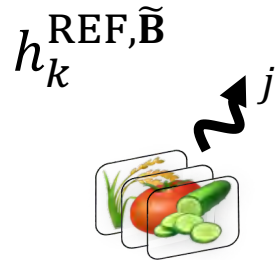


Database-based  
normalization  
references

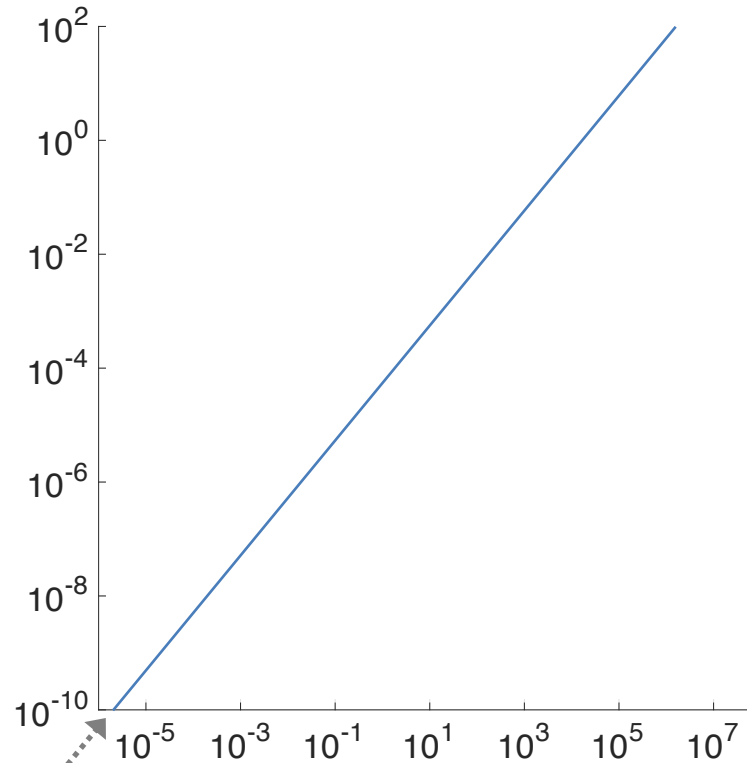


Literature-based  
normalization references

# Comparison



Database-based  
normalization  
references



Resource use, fossils  
Land use  
Climate change  
Ecotoxicity, freshwater  
Water use  
Ionising radiation, human health  
Eutrophication, terrestrial  
Acidification  
Phot. ozone form., human health  
Eutrophication, marine  
Eutrophication, freshwater  
Resource use, minerals and metals  
Human toxicity, non-cancer  
Ozone depletion  
Particulate matter  
Human toxicity, cancer



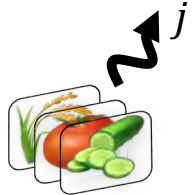
Literature-based  
normalization references

$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$

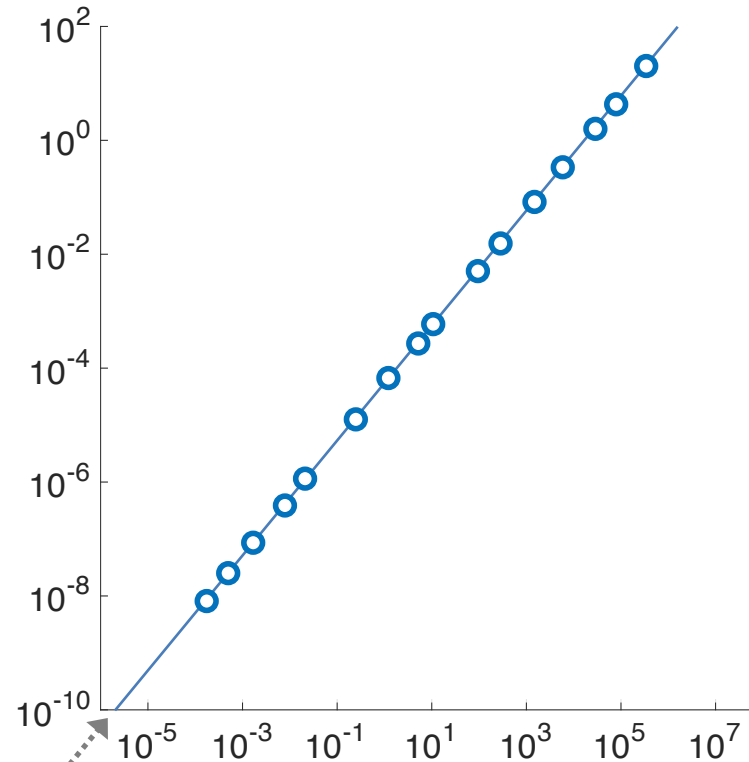
$$h_k^{\text{REF}}$$

# Comparison

$h_k^{\text{REF}, \tilde{\mathbf{B}}}$



Database-based normalization references



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$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$



Literature-based normalization references

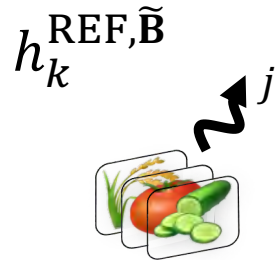
$$h_k^{\text{REF}}$$

## ○ Perfect relation:

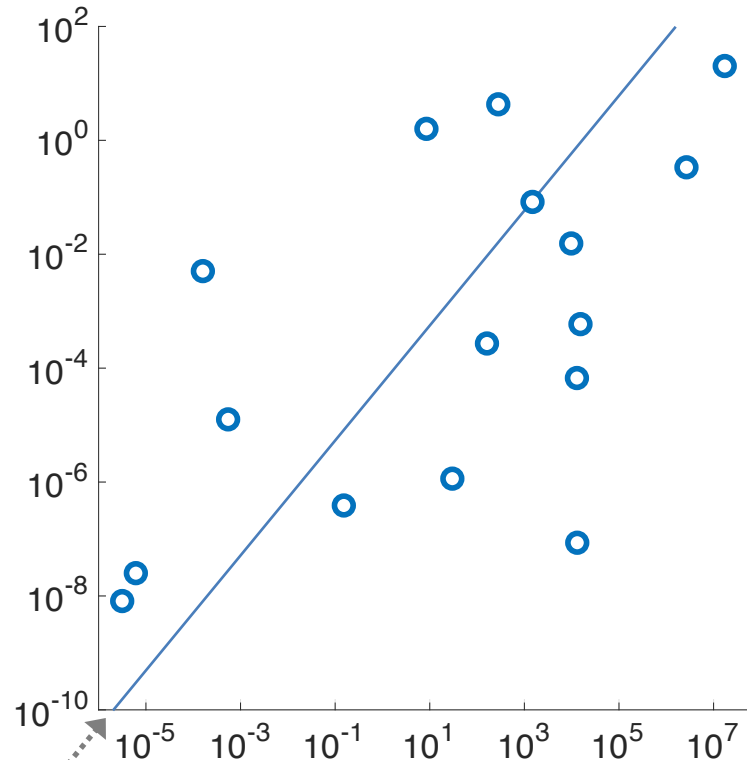
○ same representativeness of the reference sets

○  $M_1(\text{Food icon } \mathbf{f}^{\text{REF}}) \approx c M_0(\text{Food icon } \mathbf{f}^{\text{REF}})$

# Comparison



Database-based normalization references



- Resource use, fossils
- Land use
- Climate change
- Ecotoxicity, freshwater
- Water use
- Ionising radiation, human health
- Eutrophication, terrestrial
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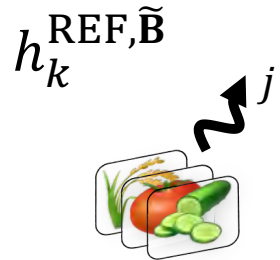
Literature-based normalization references

$$h_k^{\text{REF}}$$

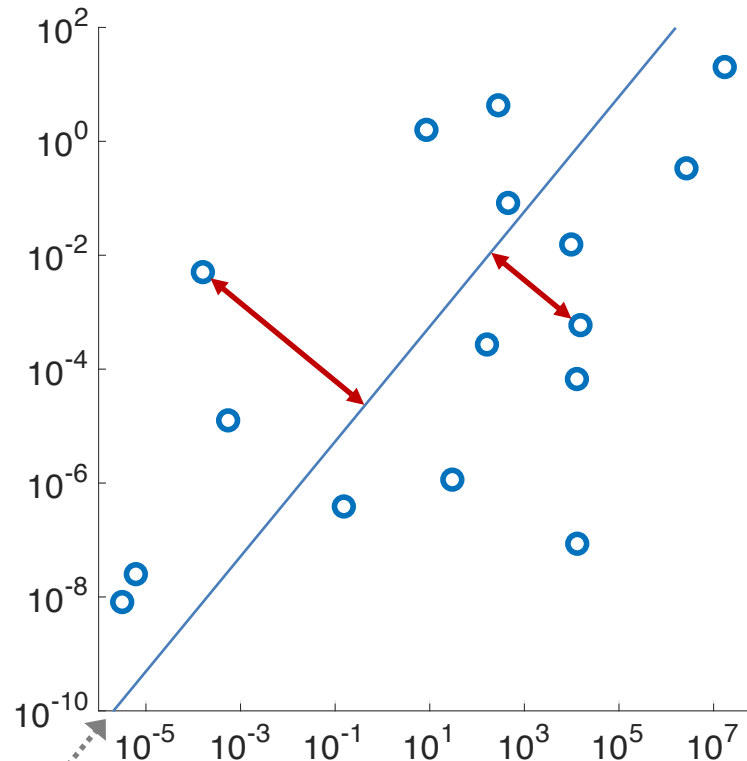
$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$

- Bad relation:
  - Something wrong...

# Comparison



Database-based  
normalization  
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Literature-based  
normalization references

$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$

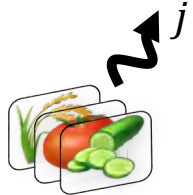
$$h_k^{\text{REF}}$$

- Dispersion assessed by coefficient of variation ( $\sigma/\mu$ , log-scale)

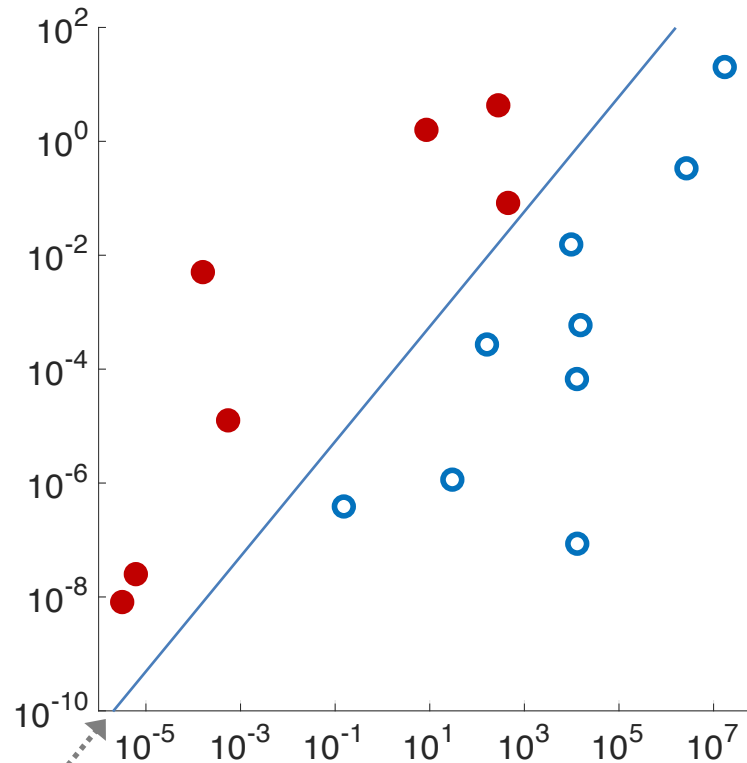


# Comparison

$h_k^{\text{REF}, \tilde{\mathbf{B}}}$



Database-based normalization references



- Resource use, fossils
- Land use
- Climate change
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$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$

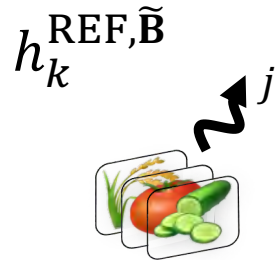


Literature-based normalization references

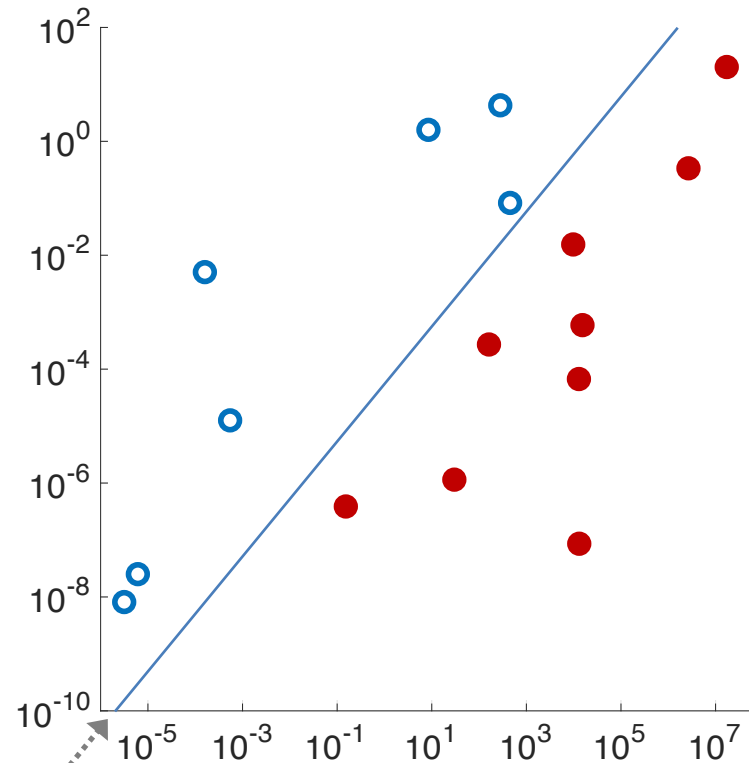
$$h_k^{\text{REF}}$$

○ Literature-based probably underestimates the impacts

# Comparison



Database-based  
normalization  
references



- Resource use, fossils
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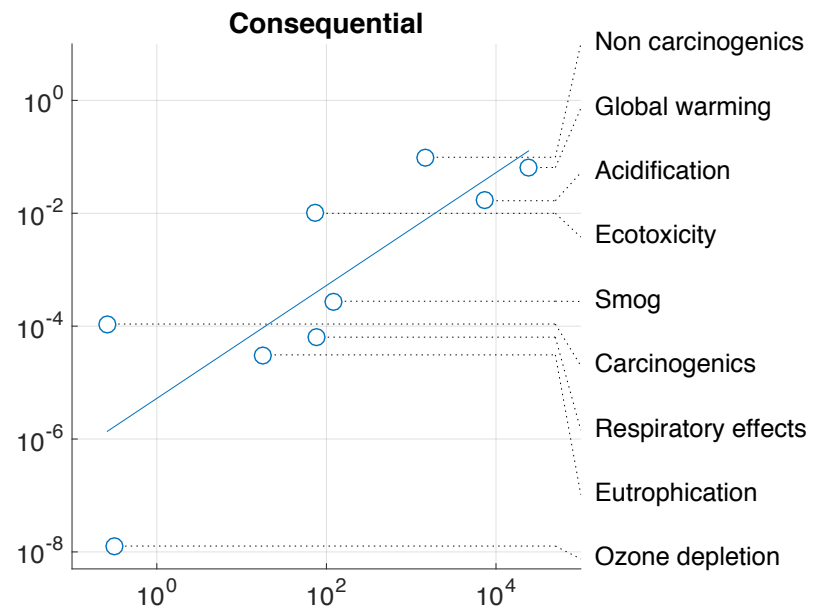
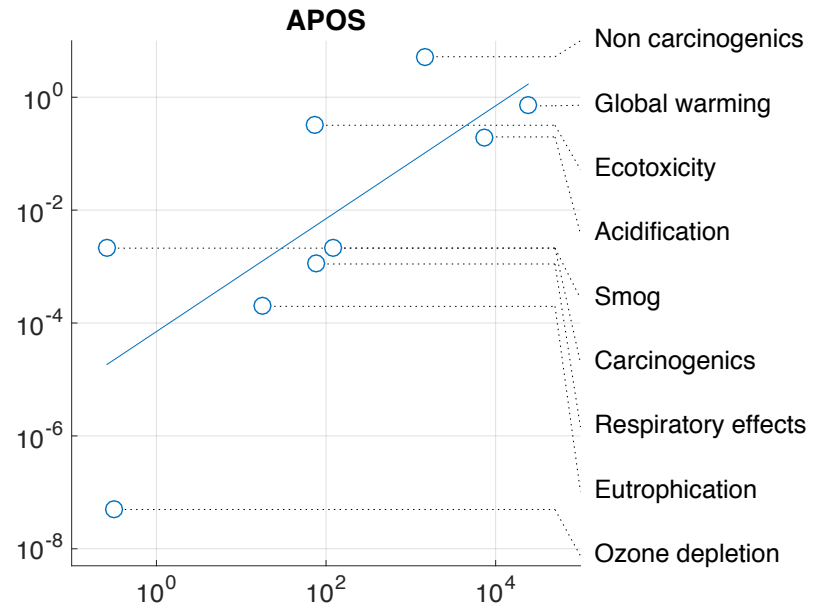
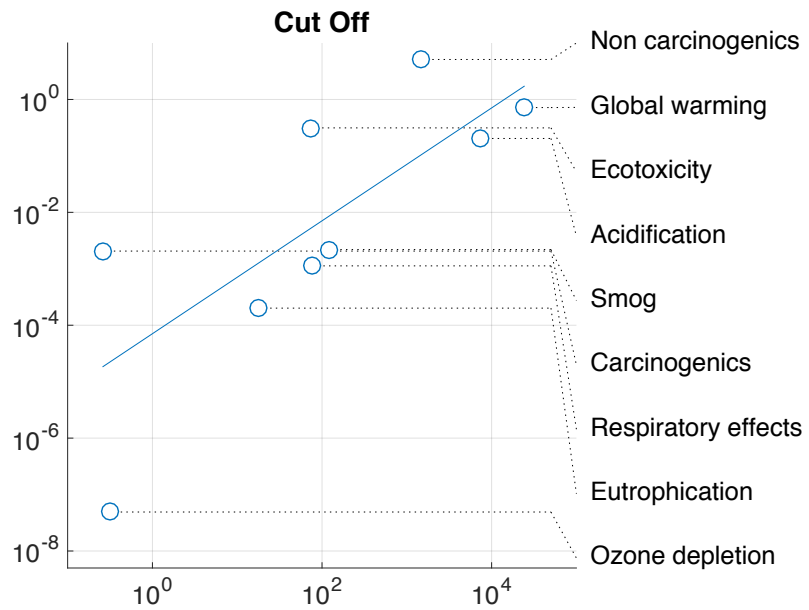
Literature-based  
normalization references

$$h_k^{\text{REF}, \tilde{\mathbf{B}}} = \frac{h_k^{\text{REF}}}{n \times c \times M_0(\mathbf{f}^{\text{REF}})}$$

$$h_k^{\text{REF}}$$

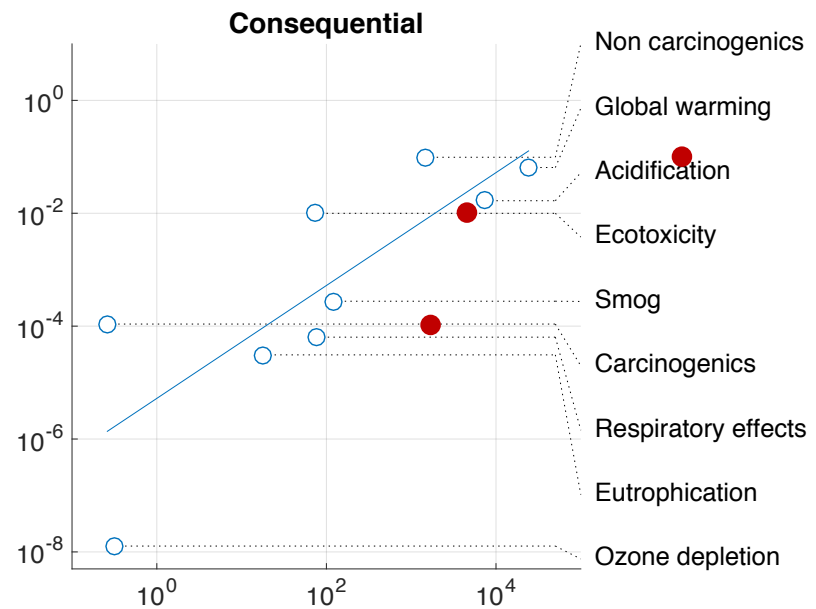
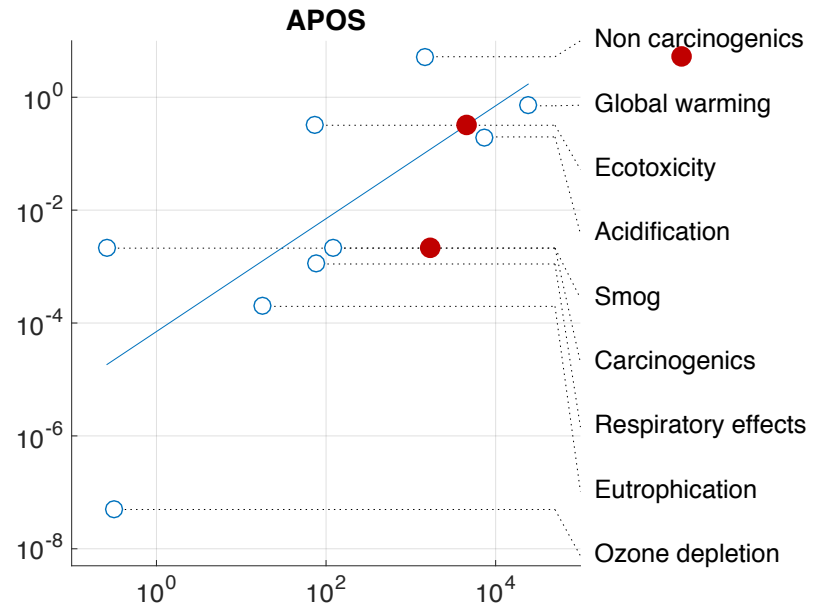
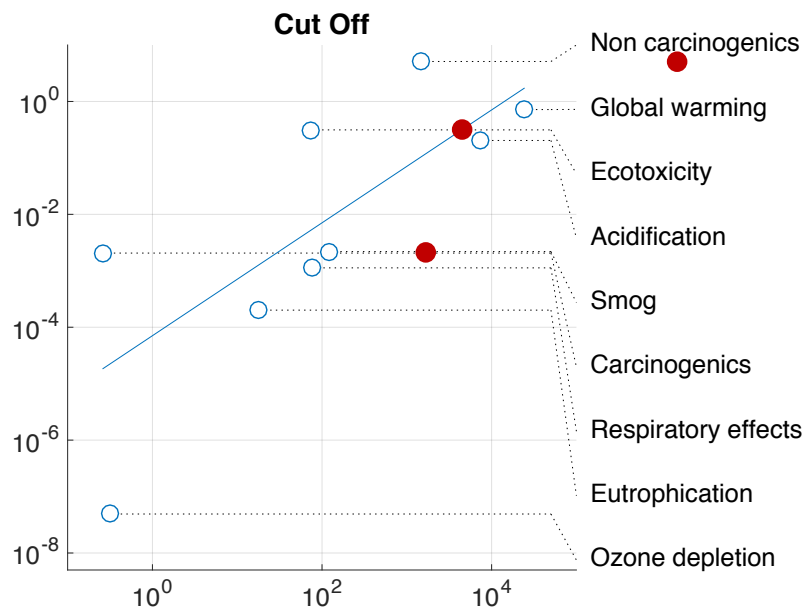
○ Inventories are probably missing in the database

# TRACI



# TRACI

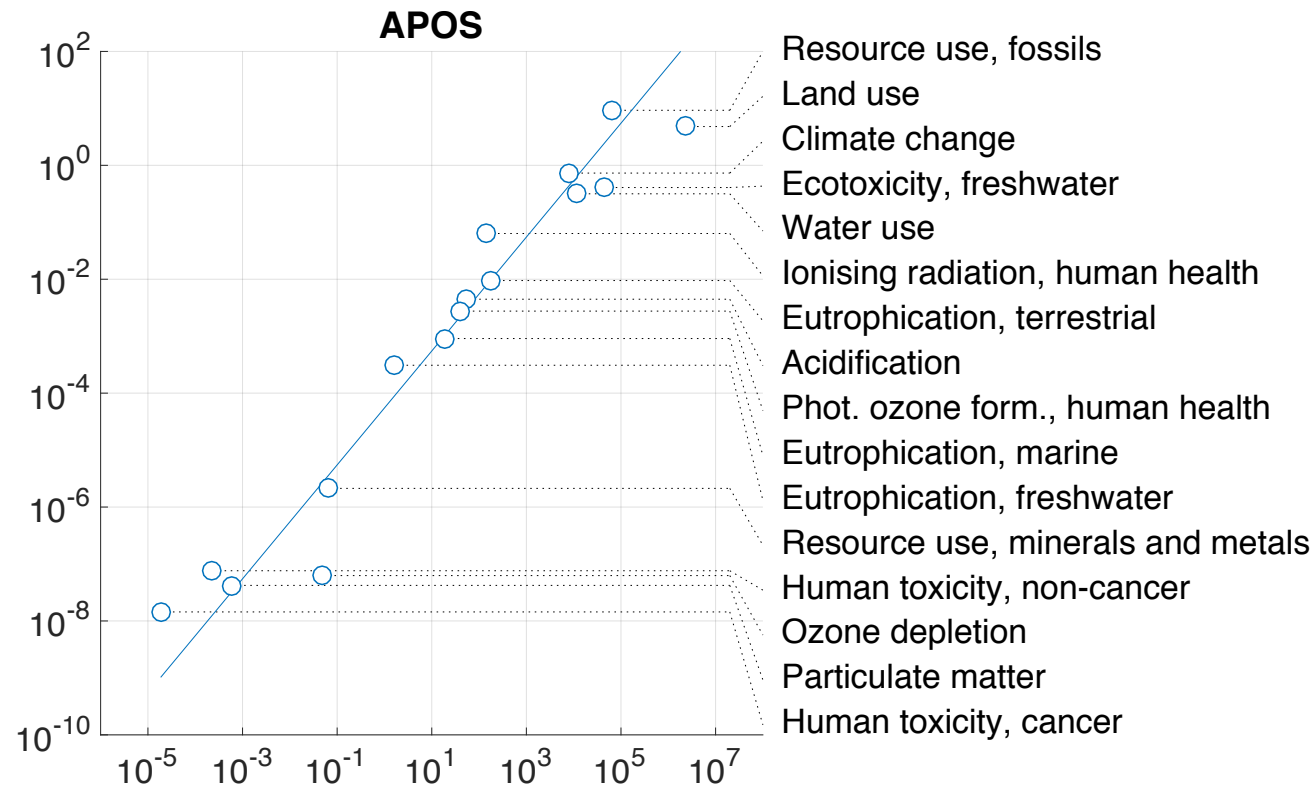
*Kim et al. 2013. The Importance of Normalization References in Interpreting Life Cycle Assessment Results. J. Ind. Ecol. 17, 385–395.*



# EF 2.0



Database-based  
normalization  
references

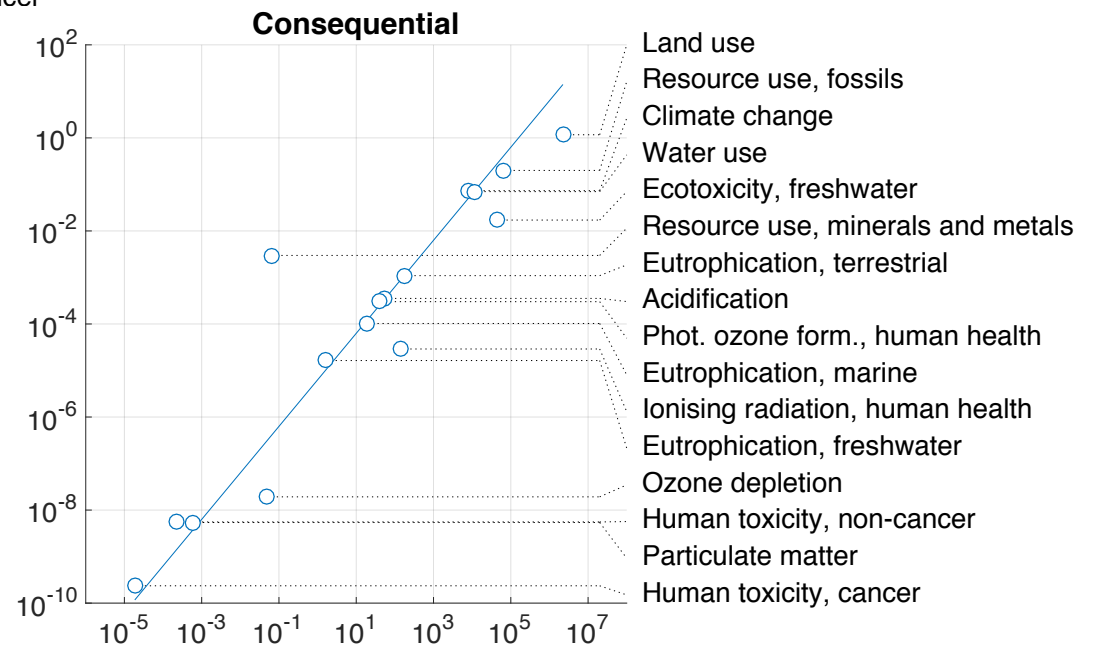
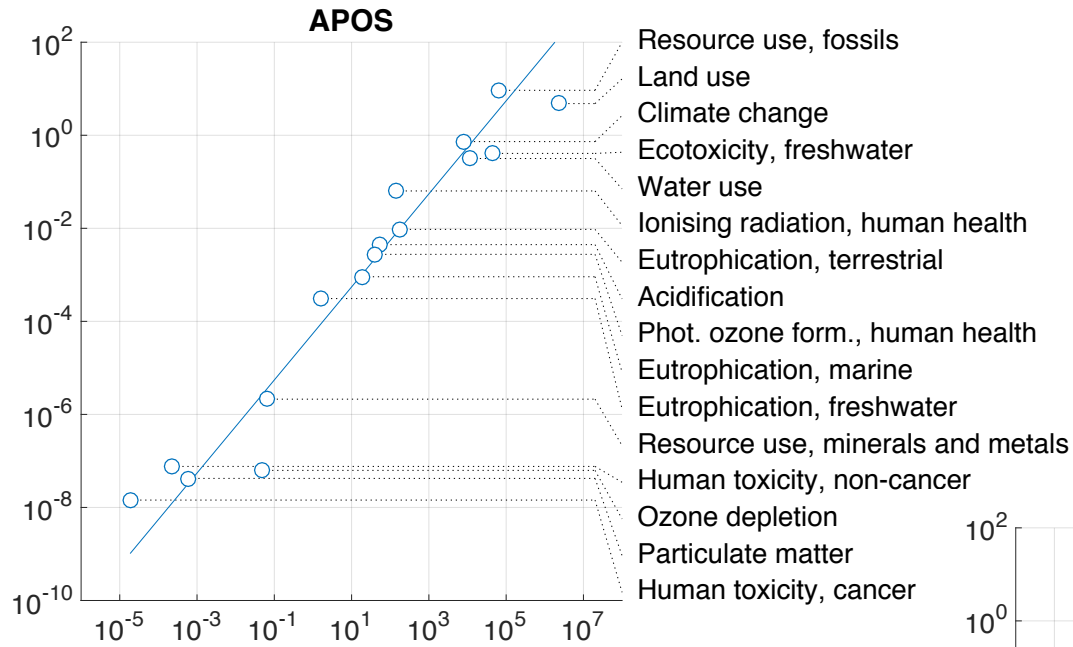


**PEF**

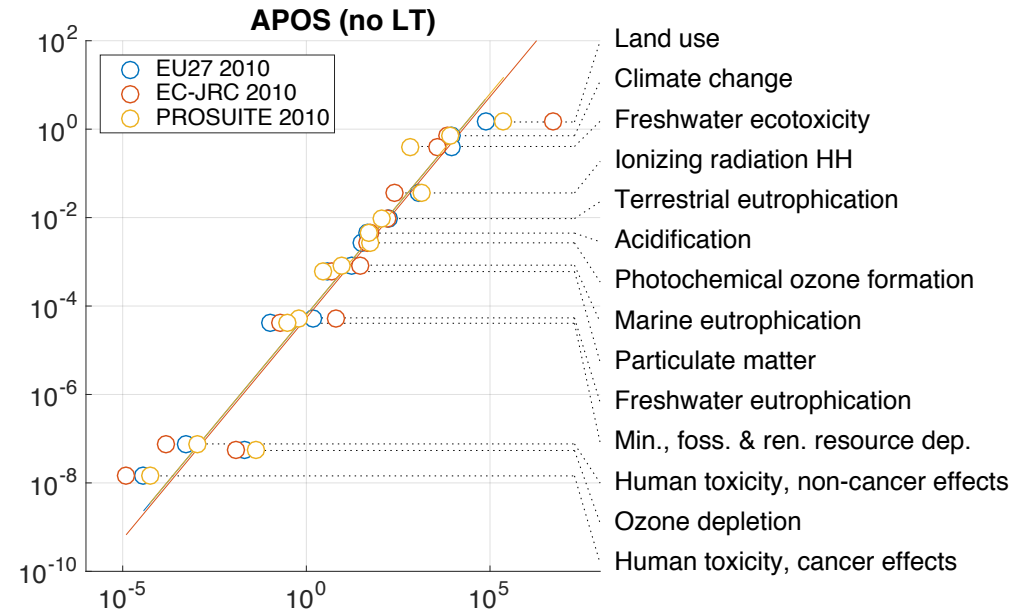
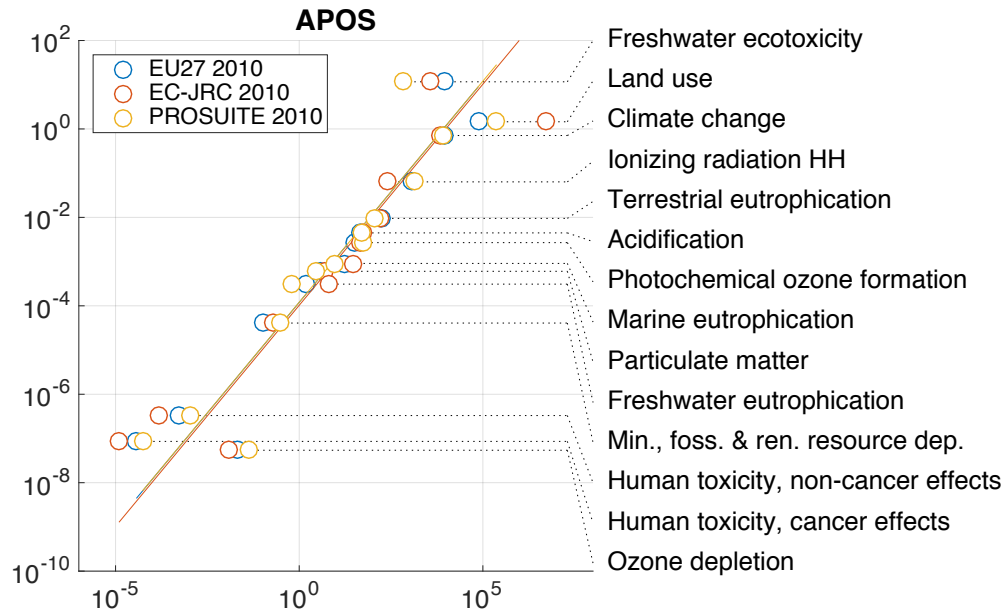


Literature-based  
normalization references

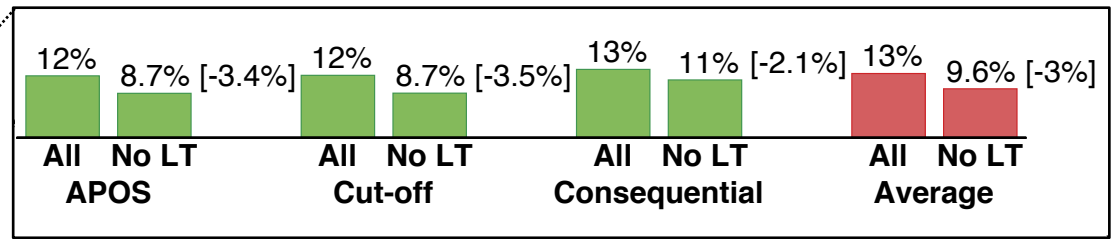
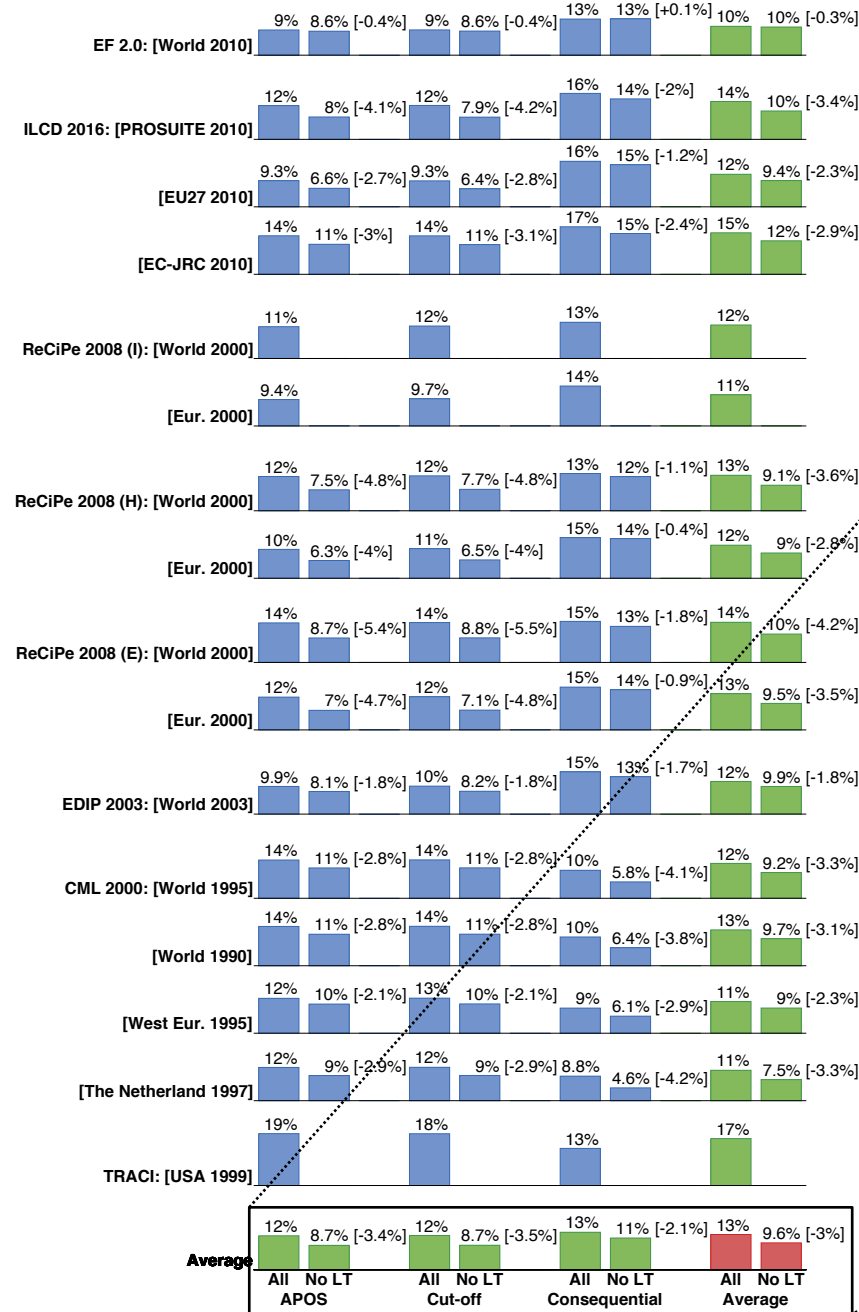
# EF 2.0



# ILCD 2016




# Coefficients of variation






# Take-home message

- Normalization with consistency system / reference:
  - Normalization set for all impacts, without external data
  - Same data for both (inventories and system models)
  - System under study and normalization on the same “planet”
- A tool to check (by comparison)
  - If the LCI database is complete
  - If the external flows quantification for normalization reference seems exhaustive
- With ecoinvent and current normalization sets:
  - A good match..
  - Importance of the system model
  - “European feature” of the database



$$\frac{\sum_{i=1}^m \left( f_i \times \text{LCI} \right)}{\left( \prod_{i=1}^m \left( \text{LCI} \right) \right)^{\frac{1}{m}}}$$


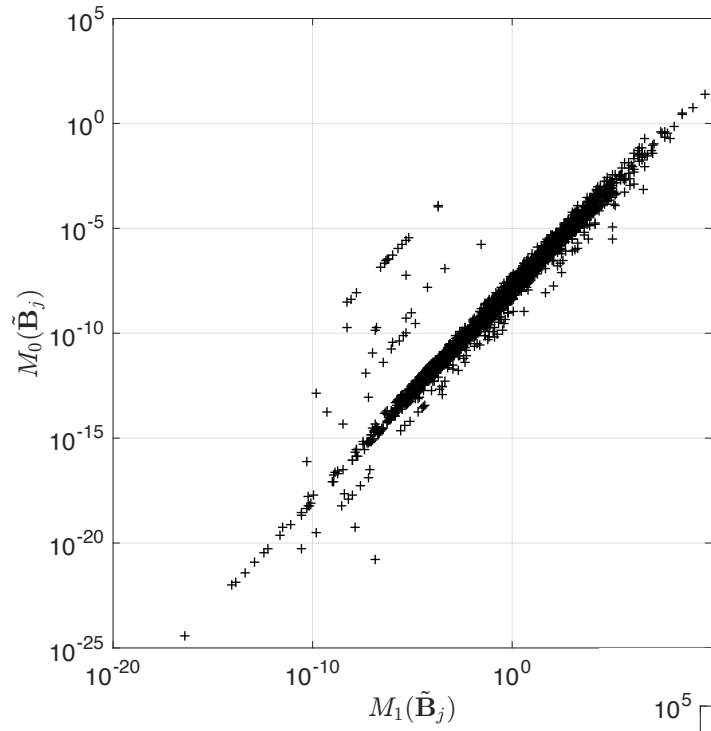
# Thank you

○ research group for environmental life cycle & sustainability assessment

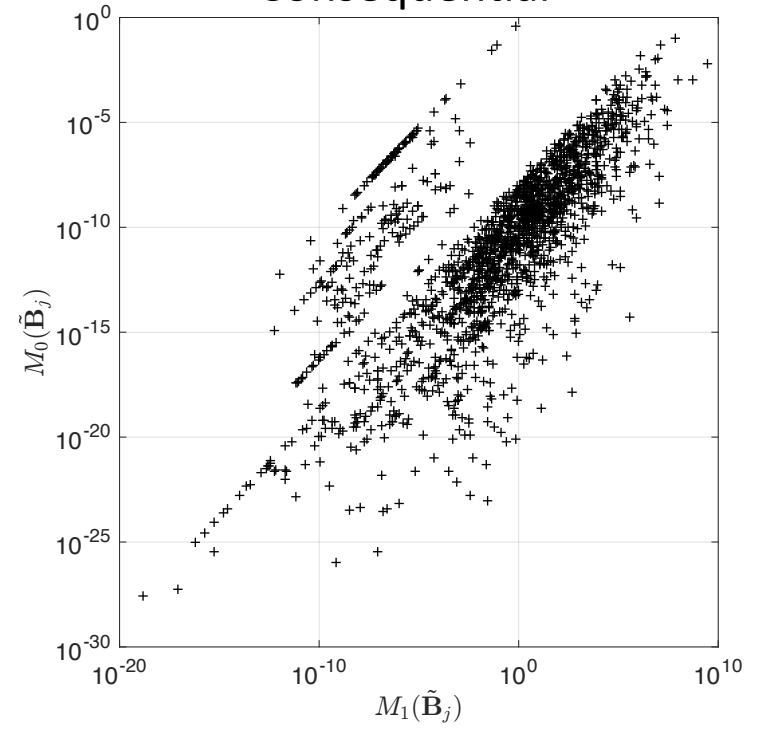
*Helias A., Esnouf A. , Finkbeiner M.  
Consistent normalization approach  
for Life Cycle Assessment based on  
inventory databases. Under review*



APOS



Consequential



Cut-off

